The Cover-Up Method

Definition: Finding all the values of a variable that make an equation true is called *solving the equation*.

You have already solved equations by trial and error. The *cover-up method* is another technique for solving equations. It is based on the idea of working backwards.

Example 1:

60x + 50 = 300Cover up the term that has the x in it with your finger. The equation looks like:

+50 = 300

Clearly, what's in the box is 250. So:

60x = 250

Think of a division that is related to this multiplication, and you will see that:

x = 250 / 60

or

x = 4.1666...

Example 2: This one is about a more complicated equation.

$$5 + \frac{3x-1}{4} = 7$$

Cover up the expression $\frac{3x-1}{4}$. You get:

Whatever is hidden must be equal to 2. So:

$$\frac{3x-1}{4} = 2$$

Now cover up 3x-1 with your finger.

$$\frac{1}{4} = 2$$

What is under your finger must be 8, so:

$$3x - 1 = 8$$

Cover up the term containing x:

$$-1 = 8$$

What's under your finger must equal 9, so:

3x = 9

and x=3

1. Check the solutions to each of the examples by substituting them into the original equations.

Solve each equation. Use the cover up method, then check each answer by substituting.

- 2. a. 3(x 10) = 15b. 3(x + 10) = 15c. $3 + \frac{x}{10} = 15$ 3. $\frac{18}{x} + 12 = 15$ 4. a. $34 - \frac{2x+6}{2} = 4$ b. $34 - \frac{2x+6}{2} = -4$ 5. a. $21 = 12 + \frac{3x}{8}$ b. $12 = 21 + \frac{3x}{8}$ 6. a. $5 + \frac{x}{6} = 17$ b. $5 + \frac{6}{x} = 17$ c. $5 - \frac{x}{6} = 17$ d. $5 - \frac{6}{x} = 17$ 7. a. $3 = \frac{12}{x+1}$ b. $3 = \frac{x+1}{12}$ c. $3 = \frac{12}{x+7}$ d. $3 = \frac{x+7}{12}$
- 8. Make up an equation like the ones above that has as its solution:
 - a. 4 b. -4 c. 1/4

Since the cover-up method is based on covering up the part of the equation that includes an x, it can only be used in equations like the ones above, where x only appears once. In other equations, for example:

160x + 100(8 - x) - 750 = 300

you cannot use the cover-up method, unless you simplify first.

Review: Dividing by Zero

- 9. Explain, using multiplication, why 20 / 5 = 4.
- 10. Explain, using multiplication, why 20 / 0 is not defined. (Hint: Start by writing 20 / 0 = q. Write a related multiplication. What must q be?)
- 11. Explain, using multiplication, why 0 / 0 is not defined. (Hint: Start by writing 0 / 0 = q. Write a related multiplication. What must q be? Could it be something else?)